

## Nowcasting Temporal Trends Using Indirect Surveys

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## El País, March 13th, 2020





## COVID-19, March 14th, 2020

#### Official # cases: 6,391 ~ 0.0136%

72.7%

11.3%

8.2%

7.8%



Antonio Fernández @Afdezanta

Querría estimar cuánta gente con síntomas del coronavirus hay hoy en España. Por favor, dime cuántas personas cercanas conoces que sepas que tienen los síntomas (o la enfermedad).

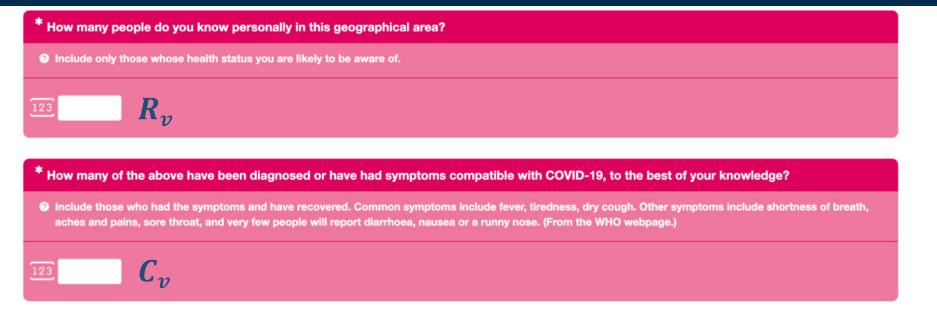
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732 votes · Final results
4:10 PM · Mar 13, 2020 · Twitter Web App

732 responses report 374 cases Я know ~36,600 persons (Dunbar # of 50 friends) 480,000 cases ~ 1% 14 days onset to death 1.38% Case Fatality Ratio 5,982 deaths (March 28th) 433,478 cases ~ 0.92%



## Aggregated Relational Data



Aggregated Relational Data (ARD): Data collected from a survey of indirect questions:

- Privacy is preserved
- Each response reports the status of many individuals

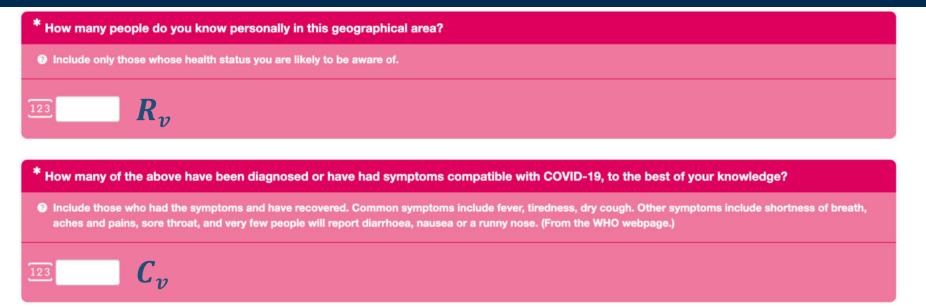
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Responses can be biased



## Network Scale-up Metod (NSUM)



The prevalence *f* is estimated with the Network Scale-up Method (NSUM) [Bernard et al, 1991; Laga et al, 2021]:

Mean of Ratios (MoR): 
$$\hat{f} = \frac{1}{|S|} \sum_{v \in S} \frac{C_v}{R_v}$$

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## Applications

ARD collected in one-shot surveys to estimate:

- Casualties in an earthquake [Bernard et al. 1989]
- Female sex workers conditions [Jing et al. 2018]
- Prevalence of drug use [Salganik et al. 2010]
- Prevalence of HIV [Teo et al. 2019]
- Prevalence of COVID-19 [Garcia-Agundez et al. 2021]

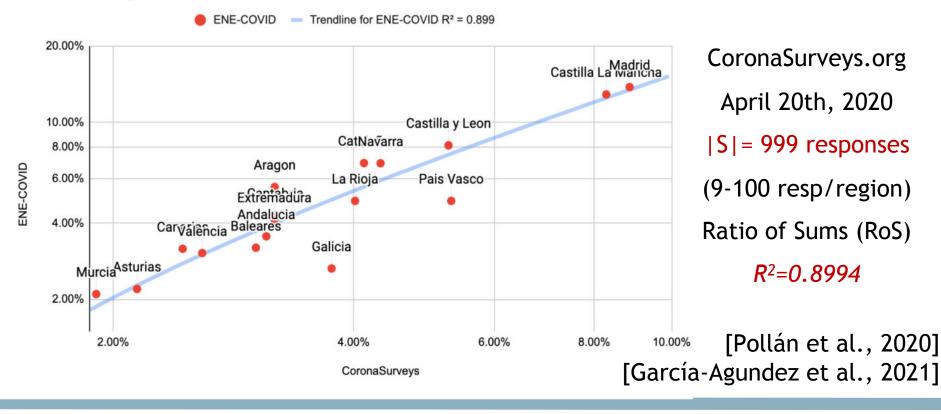
Opportunity of online indirect surveys for continuous ARD collection and trend nowcasting



## Validation: ENE-COVID

## Serology (IgG) study in Spain with ~60,000 people on April 27th to May 11th, 2020: ENE-COVID

#### CoronaSurveys vs ENE-COVID





## Contributions

- Latent dynamic graph formulation to prove that the estimated prevalence is proportional to the real prevalence
- ARD provides better prevalence estimate than a direct survey (w/ assumptions on degree variance of latent graph)
- Weighted moving average provides better estimates than a series of individual estimates
- Validate claims via simulations and real COVID-19 data



## Latent Dynamic Graph

- Population N
- At time *t*:
  - Infected population  $H_t$ , and prevalence  $f_t = \frac{|H_t|}{|N|}$
  - Graph  $G_t = (N, E_t)$ , where  $(v, u) \in E_t$  if u knows whether v is infected

 $\mathcal{V}$ 

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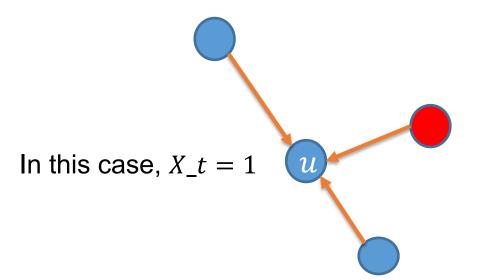
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- Assumptions:
  - In-degree distribution of all  $G_t$  have the same mean  $\mu$  and variance  $\sigma^2$ (supported empirically [Dunbar 2010])
  - If  $(v, u) \in E_t$ ,  $Pr(v \in H_t)$  does not depend on the in-degree of u in  $G_t$



# Sampling

- Select a node u at time t from  $G_t$  uniformly at random
- Let  $X_t$  be the (random variable of) number of infected in-neighbors of u



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**Theorem:**  $E(X_t) = \mu \cdot f_t$ 

- I.e., the expectation of the indirect response  $X_t$  is proportional to the prevalence  $f_t$  we wish to estimate
- The time series  $E(X_t)$  is proportional to the time series of  $f_t$ , with  $\mu$  as the constant of proportionality
- The trend of  $f_t$  can be estimated without knowing  $\mu$
- If precise  $f_t$  values are needed,  $\mu$  can be estimated (once) from reliable data



## Indirect versus Direct Reporting

- $\begin{array}{l} Y_t : \text{random variable of whether node } u \text{ is infected} \\ \overline{Y}_t : \text{sampled mean of } Y_t \\ \overline{X}_t : \text{sampled mean of } X_t \\ \phi_t : \text{ probability of co-infection} \\ |S| = n : \text{ large sample size (Central Limit Thm)} \\ \hline \text{Theorem: For any } \lambda > 0, \text{ if} \\ \sigma^2 \leq \frac{\mu(\mu 1)(1 \phi_t)}{\phi_t} \end{array}$ 
  - then  $\Pr(|\overline{X}_t/\mu f_t| > \lambda) \leq \Pr(|\overline{Y}_t f_t| > \lambda)$

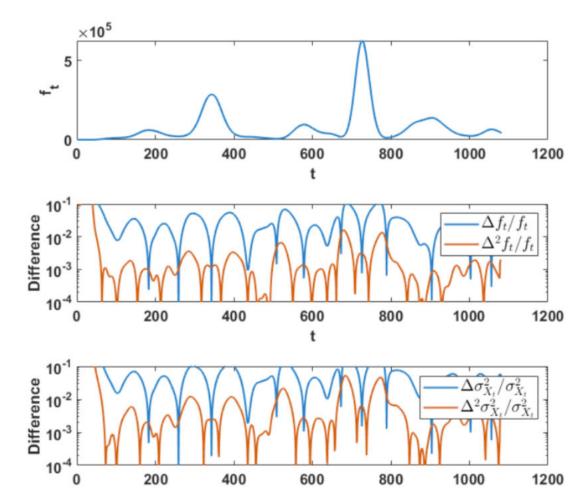
I.e., indirect surveys are better than direct surveys for same sample size n



## Advantage of Smoothing

Assumption:  $|\Delta f_t| \leq \varepsilon_f f_t$   $|\Delta \sigma_{X_t}^2| \leq \varepsilon_\sigma \sigma_{X_t}^2$ for small  $\varepsilon_f, \varepsilon_\sigma \geq 0$   $(f_t \text{ and } \sigma_{X_t}^2 \text{ change}$ slowly over time)

Ex: COVID-19 cases in California





## Advantage of Smoothing

$$\overline{X}_{t,w}$$
: mean of  $X_t$  on  $[t - w, t + w]$   
 $n_t$ : number of samples at time  $t$   
 $n_w$ : sum of  $n_t$  on  $[t - w, t + w]$ 

Theorem: If

$$\lambda \ge \frac{w \,\varepsilon_f}{1 - \left(\frac{1}{1 - w \,\varepsilon_\sigma}\right) \sqrt{\frac{n_t}{n_w}}}$$

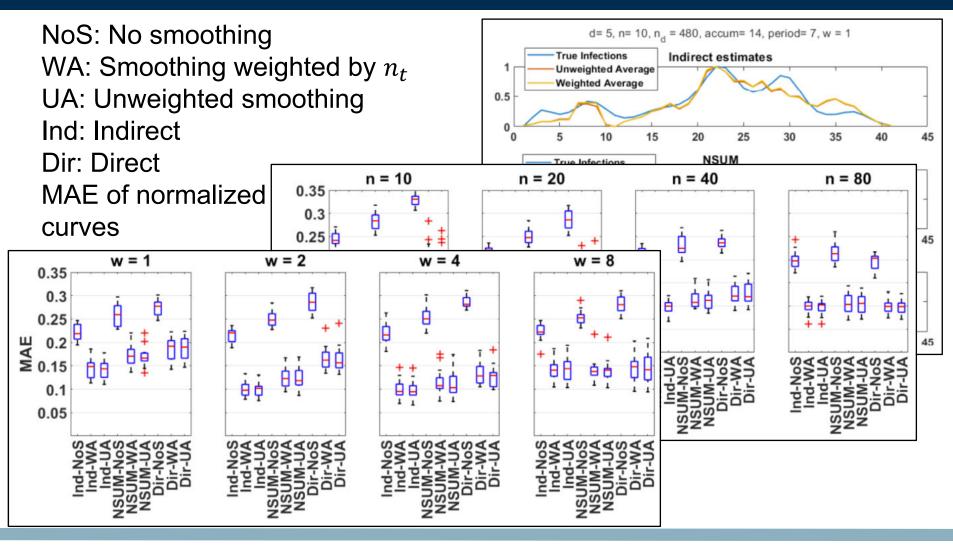
then

$$\Pr(|\bar{X}_{t,w}/\mu - f_t| \ge \lambda f_t) \le \Pr(|\bar{X}_t/\mu - f_t| \ge \lambda f_t)$$

I.e., the smoothed estimate  $\overline{X}_{t,w}/\mu$  is less likely to deviate by  $\lambda$  from the true value than the instantaneous value  $\overline{X}_t/\mu$ 

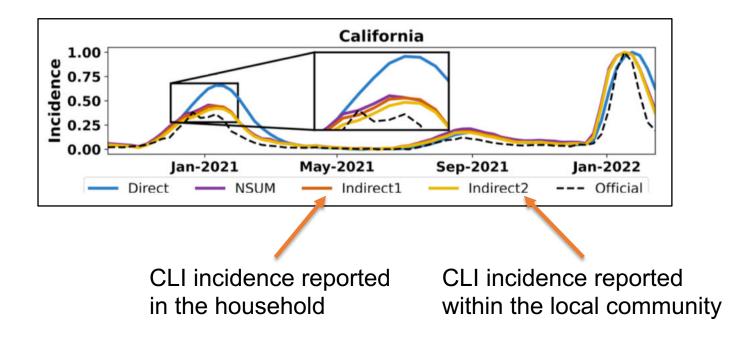


## Simulations of an Epidemic Model





#### Real COVID-19 Data



US COVID-19 Trends and Impact Survey (CTIS) [Salomon et al. 2021]





## Real COVID-19 Data

accum	w	state	Direct	NSUM	Indirect1	Indirect2	CLI incidence reported
		CA	0.0703	0.0443	0.0341 🗲	0.0292	in the household
	1	TX	0.0661	0.0379	0.0289	0.0270	
		NY	0.0785	0.0315	0.0301	0.0299	
		PN	0.0572	0.0368	0.0300	0.0263	CLI incidence reported
		CA	0.1148	0.0988	0.0881	0.0811	within the local
7 3	2	TX	0.1236	0.0890	0.0813	0.0782	community
	3	NY	0.1210	0.0930	0.0910	0.0886 📕	
		PN	0.0956	0.0907	0.0816	0.0691	
		CA	0.0836	0.0624	0.0524	0.0477	
	1	TX	0.0779	0.0385	0.0343	0.0336	
	1	NY	0.0929	0.0520	0.0504	0.0500	
		PN	0.0689	0.0389	0.0391	0.0429	
14	3	CA	0.1441	0.1217	<u>0.1116</u>	0.1059	
		TX	0.1349	0.1058	<u>0.1042</u>	0.1027	MAE of the
		NY	0.1571	0.1165	<u>0.1126</u>	0.1090	normalized COVID-19
		PN	0.1349	0.1182	<u>0.1110</u>	0.1005	incidence curves

US COVID-19 Trends and Impact Survey (CTIS) [Salomon et al. 2021]



## Conclusions

- Indirect surveys are a useful tool to monitor society
- Provide good estimates even with limited number of responses
- Can be easily used to monitor trends
- Limits and assumptions that make it applicable have to be explored
- Not widely exploited over time and space: opportunities for research in dynamic networks



### Future Work

- Monitoring of social phenomena:
  - Epidemics (COVID-19, monkey pox, malaria)
  - Harassment and bullying incidence
  - Customer opinions and marketing
  - Vote intention
- Evolution over time of these phenomena
- We need to understand better the limitations of the method both for one-shot and continuous monitoring:
  - Worst cases
  - Average practical cases



#### Thank you!

Impact track at AAAI-2024 Ajitesh Srivastava, Juan Marcos Ramirez, Sergio Día Anta, Antonio Ortega, Rosa Elvira Lillo: Nowcasting Temporal Trends Using Indirect Surveys. AAAI 2024: 22359-22367 https://doi.org/10.48550/arXiv.2307.06643



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